

Lab 4**Tuesday September 19****Infinite Limits**

Look at the following functions and before graphing them guess:

1. At which points do you expect the function outputs to get very large? Very negative?
2. Plot the functions together with the functions $y = 10$ and $y = -10$ and see if you can restrict the domain until the function is always above/below that line. What if you use $y = 100$ and $y = -100$ instead?
3. What happens when the inputs get large? Try plotting with the domain $\{x, 100, 200\}$ or $\{x, -200, -100\}$.
4. Do you expect to find any zeroes?

Then plot the functions with the Mathematica `Plot` command. Remember to include a domain!

Coding tips:

- The horizontal asymptotes might be easier to see if the domain is large.
- You can download the “Plot Piecewise Code” from the course website to get a much better view of these graphs, using `PlotPiecewise` instead of `Plot`. But this will not work well when you’re plotting more than one function at once.
- Remember you can use the `PlotRange` option with `Plot[f[x], {x, -5, 5}, PlotRange->{-15, 15}]` (or with different numbers) to fix the height shown on the graph. This can be useful if too much information is hidden by the scale.
- Pay attention to parentheses! $1/x+1$ is not the same thing as $1/(x+1)$.

(a) $1/(x^2-5x+6)$

(h) `Tan[x]`

(b) $1/(x^4+9x^3+29x^2+39x+18)$

(i) `x * Tan[x]`

(c) $(x-1)^{-2} (x-2)^{-2}$

(j) `Csc[x]`

(d) $(x-1)^2 / (x-2)^2$

(k) `x * Csc[x]`

(e) $(x+1)/(Abs[x]-1)$

(l) `x - x ^2`

(f) $(x+1)/Abs[x - 1]$

(Why do these two look so different?)

(m) $1/(x - x^2)$

(g) $(2x^2 + 3x + 1)/(Abs[x] * x + 1)$

(n) `Sqrt[x^2+1]-x`